TABLE OF THE FOUR POINTS OF CONCURRENCY

|  | LINES | $\begin{gathered} \text { POINTS OF } \\ \text { CONCURRENCY } \\ \text { (P.C.) } \end{gathered}$ | $\begin{aligned} & \text { P.C. is inside } \\ & \text { which } \\ & \text { triangle? } \end{aligned}$ | P.C. is outside which triangle? | Lines bisect which part of the triangle? | P. C. is Center of what? | $\frac{\text { Special properties of }}{\text { P. C. }}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 1 | $\begin{aligned} & \hline \frac{\text { Medians }}{\text { (Passes }} \\ & \text { @ vertex) } \end{aligned}$ | Centroid | All Triangles | None | Sides of triangle | Mass of triangle | 1)Divides median into 2:1 Ratio <br> 2)Average of the Vertices <br> 3) Center of Mass |
| 2 |  | Incenter | All Triangles | None | Angles of triangle | Inscribed Circle | 1)Equidistant to the sides of the triangle. <br> 2) Center of inscribed circle |
| 3 | $\begin{aligned} & \frac{\text { Perpendicular }}{\text { bisectors }} \\ & (\text { Sometimes } \\ & \text { pass @ Vertex) } \end{aligned}$ | Circumcenter | Acute Triangles | Obtuse <br> Triangles | Sides of triangle | $\begin{aligned} & \text { Circumscribed } \\ & \text { Circle } \end{aligned}$ | 1)Equidistant to the Vertices of the triangle <br> 2) Center of Circumscribed circle <br> 3)Midpoint of hypotenuse of a right triangle |
| 4 | $\frac{\text { Altitudes }}{(\text { Heights) }}$ (Passes @vertex) | Orthocenter | Acute Triangles | Obtuse <br> Triangles | None |  | 1) Vertex @ the right angle of a right triangle. |

Euler Line $\rightarrow$ Circumcenter to Centroid to Orthocenter : Ratio of 1:2

